

7 Gaussian Elimination And Lu Factorization

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GAUSSIAN ELIMINATION AND LU DECOMPOSITION

GAUSSIAN ELIMINATION & LU DECOMPOSITION 1 Gaussian Elimination It is easiest to illustrate this method with an example Let's consider the system of equations To solve for x , y , and z , we must eliminate some of the unknowns from some of the equations Consider adding -2 times the first equation to the second equation and also

More Gaussian Elimination and Matrix Inversion

72When Gaussian Elimination Breaks Down 721When Gaussian Elimination Works * View at edX We know that if Gaussian elimination completes (the LU factorization of a given matrix can be computed) and the upper triangular factor U has no zeroes on the diagonal, then $Ax = b$ can be solved for all right-hand side vectors b Why?

Lecture Notes, Math 170A, Winter 2020 Chapter 1.7 ...

Gaussian elimination before the Cholesky decomposition Chapter 17: Gaussian Elimination and the LU decomposition We continue our review of methods for solving systems of linear equations with the first method you have encountered in Math 18 or thereabouts: Gaussian elimination

GAUSSIAN ELIMINATION AND LU DECOMPOSITION ...

GAUSSIAN ELIMINATION AND LU DECOMPOSITION (SUPPLEMENT FOR MA511) D ARAPURA Gaussian elimination is the go to method for all basic linear classes including this one We go summarize the main ideas 1 Matrix multiplication The rule for multiplying matrices is, at first glance, a little complicated If A is

Chapter 4 Gaussian Elimination, -Factorization, Cholesky ...

Gaussian Elimination, LU-Factorization, Cholesky Factorization, Reduced Row Echelon Form 41 Motivating Example: Curve Interpolation Curve interpolation is a problem that arises frequently in computer graphics and in robotics (path planning) There are many ways of ...

Chapter 3 Gaussian Elimination, -Factorization, and ...

Gaussian Elimination, LU-Factorization, and Cholesky Factorization 31 Gaussian Elimination and LU-Factorization Let A be an $n \times n$ matrix, let $b \in \mathbb{R}^n$ be an n -dimensional vector and assume that A is invertible Our goal is to solve the system $Ax = b$ Since A is assumed to be invertible, we know that this system has a unique solution, $x = A^{-1}b$

1 Gaussian elimination: LU-factorization

1 Gaussian elimination: LU-factorization This note introduces the process of Gaussian elimination, and translates it into matrix language, which gives rise to the so-called LU-factorization Gaussian elimination transforms the original system of equations into an equivalent one, ie, one which has the same set of solutions, by adding mul-

[7] Gaussian Elimination - Coding The Matrix

7 7 5 is $\{[0,2,3,0,5,6],[0,1,0,3,4]\}$ In particular, if every row is nonzero, as in each of the matrices $\begin{bmatrix} 2 & 6 & 6 & 4 & 0 & 2 & 3 & 0 & 5 & 6 \\ 0 & 1 & 0 & 3 & 4 & 0 & 0 & 0 & 1 & 2 & 0 & 0 & 0 & 0 & 9 & 3 & 7 & 7 & 5 \end{bmatrix}$, $\begin{bmatrix} 2 & 6 & 6 & 4 & 4 & 1 & 3 & 0 & 0 & 3 & 0 & 1 & 0 & 0 & 1 & 7 & 0 & 0 & 9 & 3 & 7 & 7 & 5 \end{bmatrix}$ then the rows form a basis of the row space

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Chapter 2 Linear Equations - MATLAB & Simulink

1965 revealed the importance of two aspects of Gaussian elimination that were not emphasized in earlier work: the search for pivots and the proper interpretation of the effect of rounding errors In general, Gaussian elimination has two stages, the forward elimination and the back substitution The forward elimination consists of $n - 1$ steps

1.4 Gaussian Elimination Without Pivoting.

14 Gaussian Elimination Without Pivoting Gaussian elimination is one popular procedure to solve linear equations As we shall see, it leads to a decomposition of the coefficient matrix A as the product $A = LU$ of a lower triangular matrix L and an upper triangular matrix U

7 Gaussian Elimination And Lu Factorization

72When Gaussian Elimination Breaks Down 721When Gaussian Elimination Works * View at edX We know that if Gaussian elimination completes (the LU factorization of a given matrix can be computed) and the upper triangular factor U has no zeroes on the diagonal, then $Ax = b$ can be solved for all

right-hand side vectors b

GAUSSIAN ELIMINATION - REVISITED $2x + 2x = 5$ $4x + 5x + 6x \dots$

VARIANTS OF GAUSSIAN ELIMINATION If no partial pivoting is needed, then we can look for a factorization $A = LU$ without going thru the Gaussian elimination process For example, suppose A is 4×4 We write $a_{1,1} a_{1,2} a_{1,3} a_{1,4} a_{2,1} a_{2,2} a_{2,3} a_{2,4} a_{3,1} a_{3,2} a_{3,3} a_{3,4} a_{4,1} a_{4,2} a_{4,3} a_{4,4} = 1000$
 $c_{2,1} 100 c_{3,1} c_{3,2} 10 c_{4,1} c_{4,2} c_{4,3} 1$

7.1 Naïve Gaussian Elimination 8.1 The LU Factorization

71 Naïve Gaussian Elimination 81 The LU Factorization • Motivating $Ax=b$: Newton's method for systems of nonlinear equations (pp 96-99) • C&K

71: Naive Gaussian Elimination

MA 580; Gaussian Elimination

Part IVa: Gaussian Elimination GEPP lu gepp A A for $j = 1 : N$ do Find k so that $a_{kj} = \max_i a_{ij}$ Swap rows j and k ; record the swap for $i = j + 1 : N$ do $a_{ij} = a_{ij} - a_{ij} a_{jj} / a_{jj}$ fCompute the multipliers Store them in the strict lower triangle of A for $k = j + 1 : N$ do $a_{ik} = a_{ik} - a_{ij} a_{jk} / a_{jj}$ fDo the elimination end for end for

Roundo Analysis of Gaussian Elimination

The LU Decomposition with Pivoting Suppose that pivoting is performed during Gaussian elimination Then, if row j is interchanged with row p , Gaussian elimination with pivoting can be described in terms of the matrix multiplications $M(n-1)P(n-1)M(n-2)P(n-2) \dots M(1)P(1)A = U$; 6

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Gaussian Elimination for solving consists of 2 steps 1 Forward Elimination of unknowns The goal of Forward Elimination is to transform the coefficient matrix into an Upper Triangular Matrix 2 Back Substitution The goal of Back Substitution is to solve each of the equations using the upper triangular matrix $[A][X]=[C]$ 0 0 07 0 48 156 25 5